

ESTIMATION OF ERRORS AND CALIBRATION OF THE FREESCALE PRESSURE SENSORS

Abstract:

This report provides information to estimate the pressure reading error and to perform additional calibration to Compensated and IPS pressure sensors by the customer to improve the accuracy of the output.

Discussion:

The errors of the Freescale IPS (integrated pressure sensors) and compensated pressure sensors are minimized by calibration and compensation done after assembly, and before the gel fill operation. However, the accuracy is limited by the following errors:

1. Offset (ϵ_1);
2. TCO (temperature coefficient of Offset) (ϵ_2);
3. Linearity error(ϵ_3);
4. Span(ϵ_4);
5. TCS (temperature coefficient of Span) (ϵ_5);
6. Temperature hysteresis (ϵ_6);
7. Pressure hysteresis (ϵ_7).

The total accuracy (or error budget) can be calculated as:

$$\text{Accuracy [\%]} = (\epsilon_T / \text{VFSS}) * 100;$$

Where VFSS is the full scale span and ϵ_T is the total error;

$$\epsilon_T = \sqrt{\epsilon_1^2 + \epsilon_2^2 + \epsilon_3^2 + \epsilon_4^2 + \dots + \epsilon_7^2}$$

Calculation of the errors:

1. Offset (ϵ_1) [mV] = Offset_{actual} - Offset_{nominal}.
2. TCO: The greatest of the two TCO's
TCO₁ (ϵ_{21}) [mV] = Offset_{actual @ 25°C} - Offset_{actual @ 0°C},
TCO₂ (ϵ_{22}) [mV] = Offset_{actual @ 85°C} - Offset_{actual @ 25°C}.

Sometimes specified in [μ V/kPa]units:

$$\text{TCO}_1 (\epsilon_{21}) [\mu\text{V}/^\circ\text{C}] = (\text{Offset}_{\text{actual @ 25}^\circ\text{C}} - \text{Offset}_{\text{actual @ 0}^\circ\text{C}}) * 10^6 / (25^\circ\text{C} - 0^\circ\text{C})$$

3. Linearity error (ϵ_3) [mV]=[Vout_{actual} @ half scale reading- (Offset_{actual}+Sensitivity_{actual}*pressure @ half pressure range)];

Sometimes specified in % VFSS:

$$\text{Linearity error } (\epsilon_3) [\%] = [\text{Vout}_{\text{actual}} @ \text{half scale reading} - (\text{Offset}_{\text{actual}} + \text{Sensitivity}_{\text{actual}} * \text{pressure @ half pressure range})] * 100 / \text{VFSS}_{\text{actual}}$$

Where: Sensitivity_{actual} [mV/kPa] = VFSS/pressure range.

4. Span (ϵ_4) [mV] = Full-scale output_{actual}- full scale output_{nominal}.

5. The greatest of the two TCS's:

$$\text{TCS}_1 (\epsilon_{51}) [\text{mV}] = \text{Span}_{\text{actual}} @ 25^\circ\text{C} - \text{Span}_{\text{actual}} @ 0^\circ\text{C},$$

$$\text{TCS}_2 (\epsilon_{52}) [\text{mV}] = \text{Span}_{\text{actual}} @ 85^\circ\text{C} - \text{Span}_{\text{actual}} @ 25^\circ\text{C}.$$

6. The greatest of the two hysteresis;

$$\text{Temp hysteresis } (\epsilon_{61}) [\text{mV}] = (\text{Offset} @ 1^{\text{st}} 25^\circ\text{C} - \text{Offset} @ 2^{\text{nd}} 25^\circ\text{C})$$

$$\text{Temp hysteresis } (\epsilon_{62}) [\text{mV}] = (\text{Offset} @ 2^{\text{nd}} 25^\circ\text{C} - \text{Offset} @ 3^{\text{rd}} 25^\circ\text{C})$$

The temperature loop for these V offset's is: 25°C, 85°C, 25°C, 0°C, 25°C

For an absolute part, any pressure point can be used.

7. The greatest of the two hysteresis:

$$\text{Press hysteresis } (\epsilon_{71}) [\text{mV}] = (\text{Vout} @ 1^{\text{st}} \text{mid-range pressure} - \text{Vout} @ 2^{\text{nd}} \text{mid-range pressure})$$

$$\text{Press hysteresis } (\epsilon_{72}) [\text{mV}] = (\text{Vout} @ 2^{\text{nd}} \text{mid-range pressure} - \text{Vout} @ 3^{\text{rd}} \text{mid-range pressure})$$

The pressure loop for the V output's @ 25°C is: mid-range pressure, max pressure, mid-range pressure, min pressure, mid range pressure.

Calibration of the part to minimize error:

Typically, the Offset is the biggest error, followed by TCO, TCS, linearity and Span. Temperature hysteresis and pressure hysteresis errors are small and can be neglected. There are three options to increase the accuracy of the part. These options are described below.

Equations a, b and c will be used for the calibrations:

a. $V_{out} = V_{cc} * a * P + V_{cc} * b$

b. $V_{out} = s * P + \text{Offset}$

c. $V_{cc} * a = \text{slope} = \frac{V_{\text{full scale output}} - \text{Offset}}{P_{\text{max}} - P_{\text{min}}}$

Where a=sensitivity, b= y-axis intercept.

1) Nominal error (e₁):

Using sensitivity and offset from datasheet, and using a linear equation to determine pressure:

$$P = \frac{(V_{out \text{ nominal}} - \text{Offset}_{\text{ nominal}})}{s}$$

$$V_{out \text{ nominal}} = s * P + \text{Offset}_{\text{ nominal}}$$

$$e_1 [\text{kPa}] = \frac{(V_{out \text{ actual}} - V_{out \text{ nominal}})}{s_{\text{ nominal}}}$$

$$e_1 [\%] = \frac{(V_{out \text{ actual}} - V_{out \text{ nominal}}) * 100}{VFSS}$$

Figure 1 shows an example of error correction using e₁

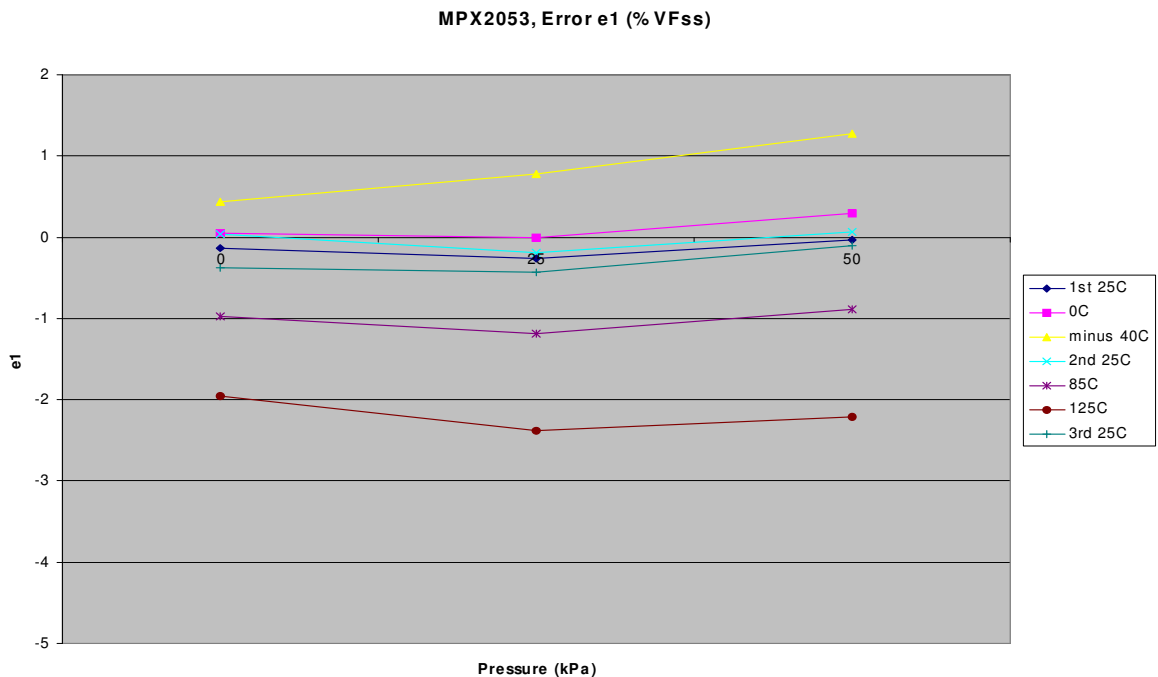


Fig 1

2) **Auto-Zero (e₂):**

Offset error and TCO ($\Delta(V_{off})/\Delta T$) are reduced.

$$e_2 \text{ [kPa]} = [V_{out \text{ actual}} - V_{out \text{ nominal}} - \text{Offset actual}] / s_{\text{nominal}}$$

$$e_2 \text{ [\%]} = [V_{out \text{ actual}} - V_{out \text{ nominal}} - \text{Offset actual}] * 100 / VFSS$$

Figure 2 shows a graph of the errors obtained using e₂.

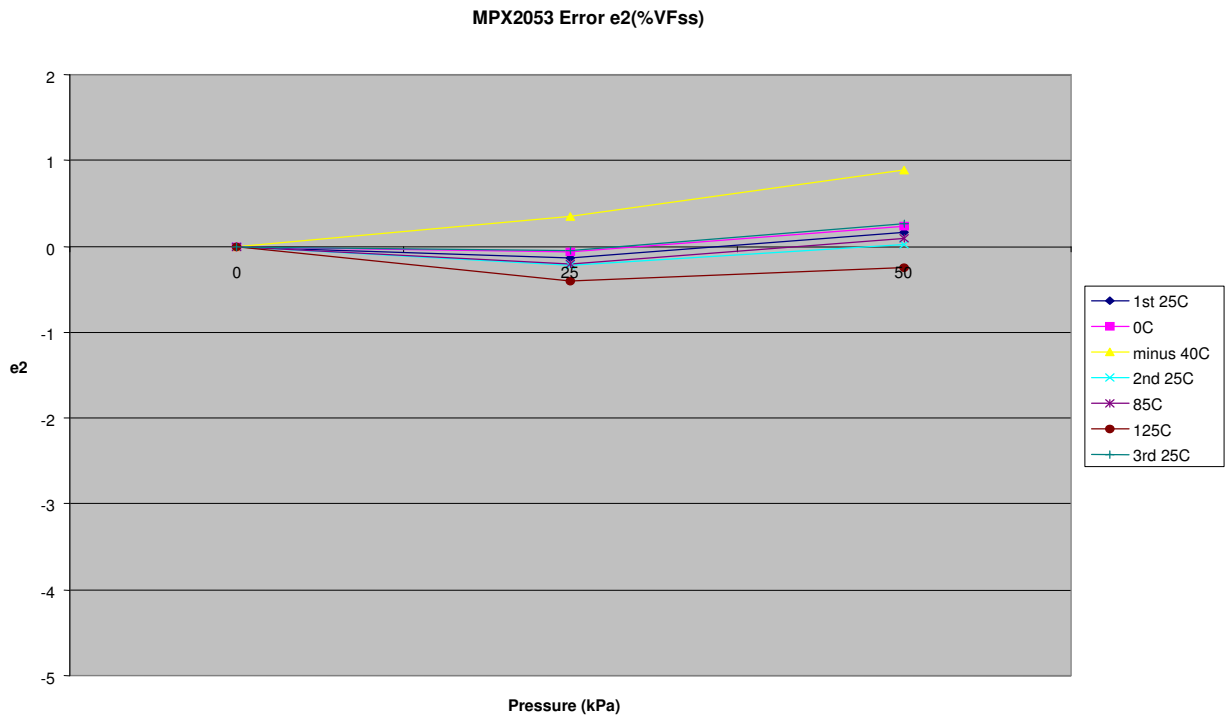


Fig 2

3. Error using auto-zero and a two-point calibration in the factory (e₃):

$$e_3 \text{ [kPa]} = [V_{\text{out actual}} - s_{\text{actual}} * P - \text{Offset actual}] / s_{\text{actual}}$$

Where $s_{\text{actual}} = (V_{\text{full scale output}} - \text{Offset actual}) / (P_{\text{max}} - P_{\text{min}})$

$$e_3 \text{ [%]} = [V_{\text{out actual}} - s_{\text{actual}} * P - P_{\text{ff}}] / \text{VFSS}$$

Figure 3 shows a graph the errors using e₃.

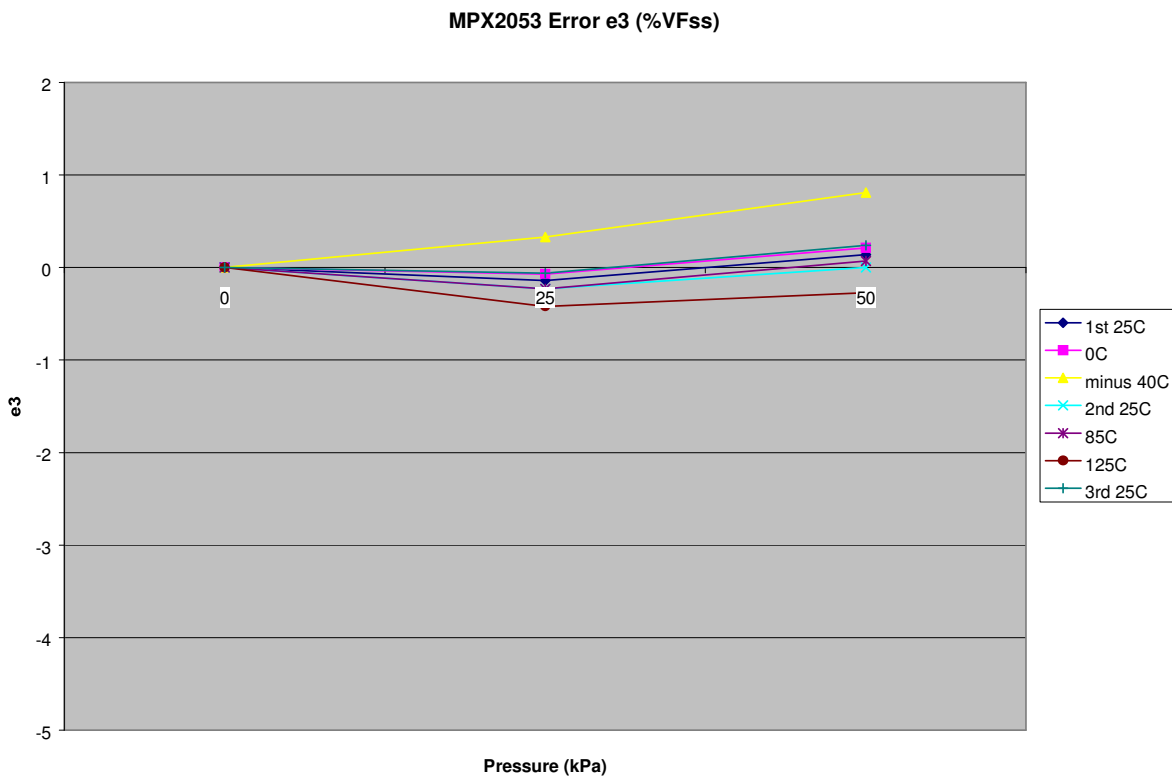


Fig 3